

Arii

$$A_{\Delta oarecare} = \frac{b \cdot h}{2}$$

$$A_{\Delta oarecare} = \frac{l_1 \cdot l_2 \cdot \sin(\widehat{l_1, l_2})}{2}$$

$$A_{\Delta oarecare} = \sqrt{p(p-a)(p-b)(p-c)},$$

$$p = \frac{a+b+c}{2}$$

$$A_{\Delta echilateral} = \frac{l^2 \sqrt{3}}{4}, h_{\Delta echilateral} = \frac{l\sqrt{3}}{2}$$

$$A_{\Delta dreptunghic} = \frac{c_1 \cdot c_2}{2}, h_{\Delta dreptunghic} = \frac{c_1 \cdot c_2}{ip}$$

$$A_{\Delta paralelogram} = b \cdot h = l_1 \cdot l_2 \cdot \sin(\widehat{l_1, l_2})$$

$$A_{dreptunghi} = L \cdot l$$

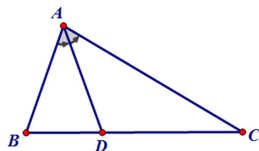
$$A_{romb} = \frac{d_1 \cdot d_2}{2} = b \cdot h$$

$$A_{patrat} = l^2, d_{patrat} = l\sqrt{2}$$

$$A_{trapez} = \frac{(B+b) \cdot h}{2}$$

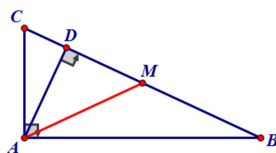
$$A_{patrulat} = \frac{d_1 \cdot d_2 \cdot \sin(\widehat{d_1, d_2})}{2}$$

Teorema bisectoarei



$$\left. \begin{array}{l} \Delta ABC \\ [AD \text{ bisectoare}] \\ AD \cap BC = \{D\} \end{array} \right\} \Rightarrow \frac{AB}{AC} = \frac{BD}{DC}$$

Relații metrice în triunghiul dreptunghic



| Teorema înălțimii | Teorema catetei |
|--|---|
| $AD^2 = CD \cdot DB$ $AD = \frac{c_1 \cdot c_2}{ip} = \frac{AB \cdot AC}{BC}$ | $AC^2 = CD \cdot CB$ $AB^2 = BD \cdot BC$ |
| Teorema lui Pitagora | Mediana în tr. dreptunghic |
| $ip^2 = c_1^2 + c_2^2$ $CB^2 = AC^2 + AB^2$ | $Mediana = \frac{ip}{2}$ $AM = \frac{BC}{2}$ |

| x | | 30° | 45° | 60° |
|-------|-------------------------------|----------------------|----------------------|----------------------|
| sin x | $\sin x = \frac{c.op.}{ip.}$ | $\frac{1}{2}$ | $\frac{\sqrt{2}}{2}$ | $\frac{\sqrt{3}}{2}$ |
| cos x | $\cos x = \frac{c.al.}{ip.}$ | $\frac{\sqrt{3}}{2}$ | $\frac{\sqrt{2}}{2}$ | $\frac{1}{2}$ |
| tg x | $tg x = \frac{c.op.}{c.al.}$ | $\frac{\sqrt{3}}{3}$ | 1 | $\sqrt{3}$ |
| ctg x | $ctg x = \frac{c.al.}{c.op.}$ | $\sqrt{3}$ | 1 | $\frac{\sqrt{3}}{3}$ |

Cazurile de congruență ale triunghiului oarecare

L.U.L. ; U.L.U. ; L.L.L.

Cazurile de congruență ale triunghiului dreptunghic

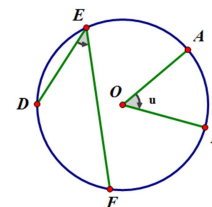
C.C.; C.U.; i.C.; i.U.

Cazurile de asemănare

L.L.L.; L.U.L.; U.U.

www.mateinfo.ro - Prof. Andrei Octavian Dobre

Cercul



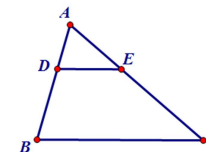
Lungime cerc

$$L_{cerc} = 2\pi R$$

Arie disc

$$A_{disc} = \pi R^2$$

| Unghi la centru | Unghi înscris în cerc |
|---|--|
| $m(\sphericalangle AOB) = m(\widehat{AB})$ | $m(\sphericalangle DEF) = \frac{m(\widehat{DF})}{2}$ |
| $L_{\widehat{AB}} = \frac{u\pi R}{180}$ | $A_{sector} = \frac{u\pi R^2}{360}$ |
| Raza cercului înscris în triunghi | Raza cercului circumscris triunghiului |
| $r = \frac{A_{\Delta}}{p}, p = \frac{a+b+c}{2}$ | $R = \frac{abc}{4 \cdot A_{\Delta}}$ |



Teorema lui Thales

$$\left. \begin{array}{l} \Delta ABC \\ DE \parallel BC \end{array} \right\} \Rightarrow \frac{AD}{DB} = \frac{AE}{EC}$$

Teorema fundamentală a asemănării

$$\left. \begin{array}{l} \Delta ABC \\ DE \parallel BC \end{array} \right\} \Rightarrow \Delta ADE \sim \Delta ABC$$

$$\Delta ABC \sim \Delta A'B'C' \Leftrightarrow$$

$$\sphericalangle A \equiv \sphericalangle A'; \sphericalangle B \equiv \sphericalangle B'; \sphericalangle C \equiv \sphericalangle C'$$

$$\frac{AB}{A'B'} = \frac{AC}{A'C'} = \frac{BC}{B'C'}$$